

M	T	W	Th	F
<u>28-Nov</u> A-Day • Notes 6.2 • HW 6.2	<u>29-Nov</u> B-Day • Notes 6.2 • HW 6.2	<u>30-Nov</u> A-Day • Lab 6.3 CoE • Notes 6.3 • HW 6.3	<u>1-Dec</u> B-Day • Lab 6.3 CoE • Notes 6.3 • HW 6.3	<u>2-Dec</u> B-Day • Notes 6.4 • Lab 6.4 • HW 6.4 • T6 Review
<u>5-Dec</u> A-Day • Notes 6.4 • Lab 6.4 • HW 6.4 • T6 Review	<u>6-Dec</u> B-Day • Review	<u>7-Dec</u> A-Day • Review	<u>8-Dec</u> B-Day • TEST 6	<u>9-Dec</u> A-Day • TEST 6
<u>12-Dec</u> A-Day • Correct Tests • Review for Final	<u>13-Dec</u> B-Day • Correct Tests • Review for Final	<u>14-Dec</u> C-Day • ?	<u>15-Dec</u> FINALS	<u>16-Dec</u> FINALS

Work/Energy

~~KINEMATICS~~

The use of kinematic equations is banned until further notice. The use of a kinematic equation in solving a problem will result in **double points** being deducted!!!!

Work and Energy Chapter 5

3

Work

- Work is done when a force moves an object through a distance against another force.
 - For example, when I lift a book I do work against gravity.
 - If I push the book along the tabletop, I do work against friction.
- Work = Force · distance (“dot product”)
- $\mathbf{W} = \mathbf{F} \cdot \mathbf{d}$ $W = F\|d$ $W = Fd\cos\theta$
 - [“Visual Trig”](#)
 - [Vector Addition](#)

Work

- $\mathbf{W} = \mathbf{F} \cdot \mathbf{d}$
- Since $\Sigma F = ma$, we can substitute “ma” into the work equation for “F”, giving us
- $\mathbf{W} = \mathbf{mad}$

Sample

- It takes 1,875 J of work to move a box 15 meters. How much force was needed?

$$W = F \cdot d$$

$$1875\text{ J} = F \cdot 15\text{ m}$$

$$F = 125\text{ N}$$

Sample

- How much work is done if a 1500 kg car accelerates at a rate of 3.0 m/s² for a distance of 100 meters.

$$W = F \cdot d = ma \cdot d$$

$$W = (1500\text{kg})(3.0\text{m} / \text{s}^2) \cdot 100\text{m}$$

$$W = 450,000\text{J}$$

Energy

- Energy is the ability to do work. In other words, it is work waiting to happen.
- Types of Energy—**some** examples are
 - Kinetic—energy of motion (KE)
 - Gravitational potential—energy given an object when you lift it up (It can fall) (PE_G)
 - Elastic or spring potential—stored in a spring or rubber band when you stretch or compress it (PE_s)
 - Heat (Q)
 - Chemical potential
 - Nuclear
 - Sound
 - Light

Kinetic Energy

Gravitational Potential Energy

- **Kinetic Energy (KE)** - the ability of an object to do work because of its motion.

$$KE = \frac{1}{2}mv^2$$

Gravitational Potential Energy (PE_G) - the ability of an object to do work because of its position in a gravitational field

$$PE_G = mgh$$

Sample

- What is the kinetic energy of a 30 kg gazelle running at 20 m/s?

$$KE = \frac{1}{2}mv^2$$

$$KE = \frac{1}{2}(30\text{kg})(20\text{m} / \text{s})^2$$

$$KE = 6,000\text{J}$$

Sample

- What is the gravitational potential energy of a 30 kg gazelle that is standing at the edge of a 15 meter high cliff?

$$PE = mgh$$

$$PE = (30\text{kg})(9.8\text{m} / \text{s}^2)(15\text{m})$$

$$PE = 4410\text{J}$$

Practice

1. If it takes 1500 J of work to stop a 50 kg running gazelle, how fast was the gazelle initially running?
2. 4500 J of work are done to lift a 10 kg baby gazelle to the top of a cliff. How high is the cliff?